7.7 Problem Solving Multiplying Polynomials

Write the correct answer.

- 1. A bedroom has a length of x + 3 feet and a width of x - 1 feet. Write a polynomial to express the area of the bedroom. Then calculate the area if *x* = 10.
- 2. The length of a classroom is 4 feet longer than its width. Write a polynomial to express the area of the classroom. Then calculate the area if the width is 22 feet.
- 3. Nicholas is determining if he can afford to buy a car. He multiplies the number of months *m* by i + p + 30f where *i* represents the monthly cost of insurance, p represents the monthly car payment, and f represents the number of times he fills the gas tank each month. Write the polynomial that Nicholas can use to determine how much it will cost him to own a car both for one month and for one year.
- A seat cushion is shaped like a trapezoid. The shorter base of the cushion is 3 inches greater than the height. The longer base is 2 inches shorter than twice the height. Write the polynomial that can be used to find the area of the cushion. (The area of a trapezoid is represented by

 $\frac{1}{2}h(b_1+b_2)$.)

The volume of a pyramid can be found by using $\frac{1}{3}$ Bh where B is the

area of the base and *h* is the height of the pyramid. The Great Pyramid of Giza has a square base, and each side is about 300 feet longer than the height of the pyramid. Select the best answer.

- 5. Which polynomial represents the approximate area of the base of the Great Pyramid?
 - A *h* + 90,000
 - B 2h + 90,000
 - C $h^2 + 600h + 90,000$
 - $D 2h^2 + 600h + 90.000$
- 7. The original height of the Great Pyramid was 485 feet. Due to erosion, it is now about 450 feet. Find the approximate volume of the Great Pyramid today.

A 562,500 ft ³	C 84,375,000 ft ³
B 616,225 ft ³	D 99,623,042 ft ³

6. Which polynomial represents the approximate volume of the Great Pyramid?

$$\mathsf{F} \ \frac{1}{3}h^3 + 200h^2 + 30,000h$$

G
$$\frac{1}{3}h^2 + 200h + 30,000$$

H
$$h^3 + 600h^2 + 90,000h$$

$$J 3h^3 + 600h^2 + 90,000h$$

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